# Exploratory data analysis: Data visualization with ggplot2 EDH7916 | Spring 2020

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One key part of exploratory data analysis is making plots that let you visually inspect the data. This lesson will focus on graphics.

R has three major graphing systems: the base system, lattice, and ggplot2. Each system has its benefits and drawbacks and each is also very versatile with many, many options for creating and adjusting plots.

Unfortunately, there isn't enough time to go through all three graphing systems. After describing a few base R graphing functions, this lesson will focus on {ggplot2} since it allows users to build plots using the grammar of graphics and integrates well with the tidyverse.

### Setup

We're using three libraries today:

- $\{ggplot2\}$
- $\{haven\}$
- {labelled}

The ggplot2 library is part of the tidyverse, so we don't need to load it separately (we can just use library(tidyverse) as always).

We're also going to use haven, which allows us to read in data files from other software. We'll use it to read in a Stata (\*.dta) version of the small HSLS data we've used before. Though {haven} is part of the tidyverse and should have been installed when you installed tidyverse, we'll have to explicitly call it

The labelled library, however, is not part of the tidyverse, meaning that we will need to install it first and then load separately.

**QUICK EXERCISE** Using the console, install the new labelled package using install.packages("labelled").

```
## ------
## libraries
## -----
```

library(tidyverse)

Attaching packages –

— tidyverse 1.3.0 —

```
- Conflicts ______ tidyverse_conflicts() _____
* dplyr::filter() masks stats::filter()
* dplyr::lag() masks stats::lag()
library(haven)
library(labelled)
```

In addition to the Stata version of small HSLS, we'll also be using all\_schools.csv in the lesson. After including its subdirectory path (tsc\_dir), we'll read in both data files. Note that since we have two data files this lesson, we'll give them unique names instead of the normal df:

```
• df_hs := hsls_small.dta

    df_ts := all_schools.csv

## _____
## directory paths
## _____
## assume we're running this script from the ./scripts subdirectory
dat_dir <- file.path("...", "data")</pre>
tsc_dir <- file.path(dat_dir, "sch_test")</pre>
## -----
## input data
## -----
## assume we're running this script from the ./scripts subdirectory
df hs <- read dta(file.path(dat dir, "hsls_small.dta"))</pre>
df_ts <- read_csv(file.path(tsc_dir, "all_schools.csv"))</pre>
Parsed with column specification:
cols(
  school = col character(),
 year = col_double(),
 math = col_double(),
 read = col_double(),
  science = col_double()
```

```
)
```

## Plots using base R

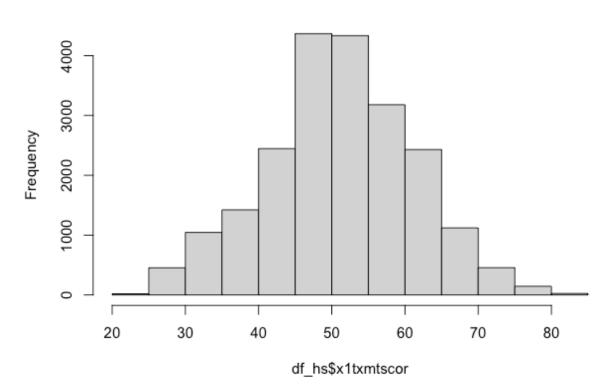
Even though users have developed new graphics libraries, the base R graphics system is still very powerful. The base system is also very easy to use in a pinch. When I want a quick visual of a data distribution that's just for me, I often use base R.

**Note** that for the next few plots, I'm not much concerned with how they look. Specifically, the axis labels won't be very nice or useful. We could spend time learning to make really nice base R plots for publication, but I'd rather we spend that time with {ggplot2} graphics.

Also note that we'll switch to using the base R data frame \$ notation to pull out the columns we want.

## Histogram

For continuous variables, a histogram is a useful plot. Though the <code>hist()</code> function has many options to adjust how it looks, the defaults work really well.



## Histogram of df\_hs\$x1txmtscor

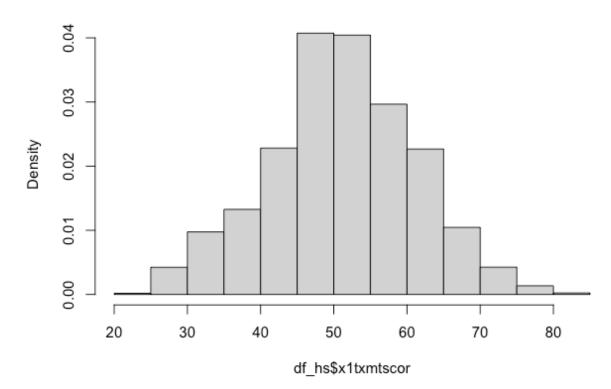
Quick exercise Check the distribution of the students' socioeconomic score (SES).

## Density

Density plots are also really helpful. R doesn't have single density plot function, but you can get a density plot in one of two ways, each of which will give a slightly different result.

First, you can adjust the hist() function to add the freq = FALSE argument. It looks like the first histogram above, but notice that the y-axis now represents density rather than counts.

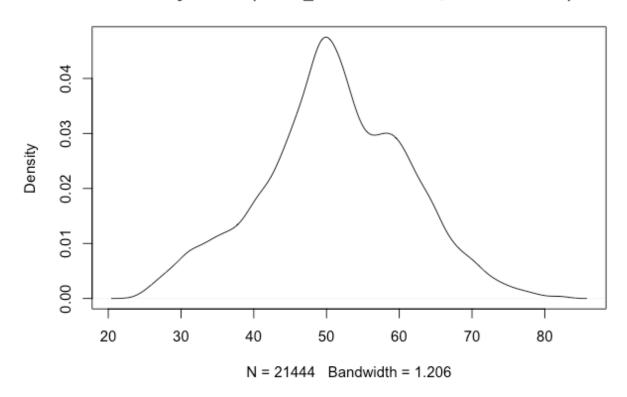
## density plot of math scores with hist() function hist(df\_hs\$x1txmtscor, freq = FALSE)



Histogram of df\_hs\$x1txmtscor

Second, you can plot() the density() of a continuous variable. Unlike hist(), however, density() doesn't automatically ignore missing values, so we have to tell it to remove NAs.

## density plot of math scores
plot(density(df\_hs\$x1txmtscor, na.rm = TRUE))



density.default(x = df\_hs\$x1txmtscor, na.rm = TRUE)

**Quick exercise** Plot the density of SES. Next, add the col argument in plot() to change the color of the line to "red": plot(density(df\_hs\$x1txtmscor, na.rm = TRUE), col = "red").

### Box plot

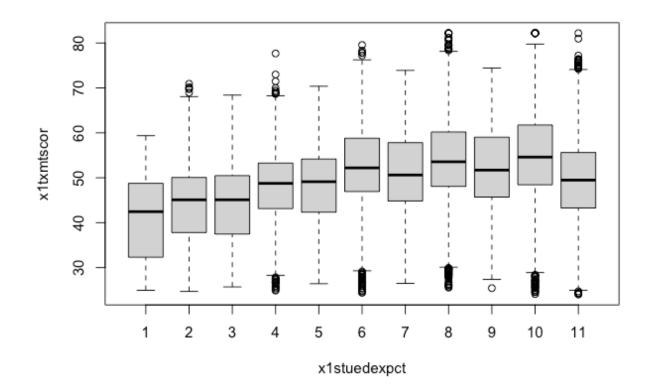
A box plot will let you see the distribution of a continuous variable at specific values of another discrete variable. For example, test scores ranges at each student expectation level.

Call a box plot using the boxplot() function. This one is a little trickier because it uses the R formula construction to set the continuous variable against the discrete variable. The formula uses a tilde,  $\sim$ , and should be constructed like this:

<continuous var> ~ <discrete var>

Notice how we can use the  $data = df_hs$  argument instead of adding  $df_hs$  in front of the variable names. This saves us some typing.

```
## box plot of math scores against student expectations
boxplot(x1txmtscor ~ x1stuedexpct, data = df_hs)
```



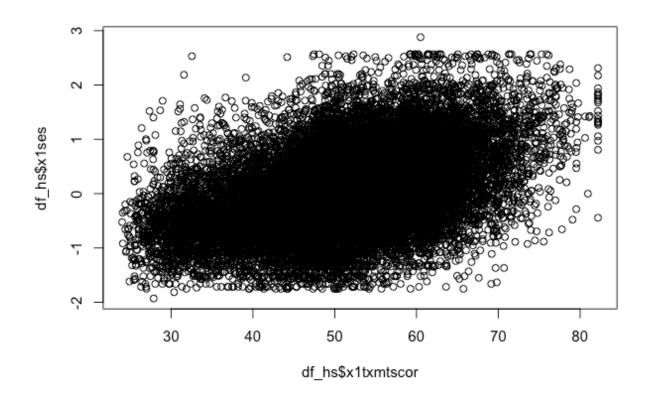
#### Scatter

Finally, plot two continuous variables against one another using the base plot() function. There are two primary ways to make a scatter plot using plot():

- plot(x, y)
- plot(y  $\sim x$ )

With both, x is the variable that will go on the x-axis and y the one that will go on the y-axis. It's really a matter of which makes sense to you. We'll use the first.

## scatter plot of math against SES
plot(df\_hs\$x1txmtscor, df\_hs\$x1ses)



Quick exercise Rerun the above plot, but this time store it in an object, plot\_1. Next, make the same plot, but this time use the second formula construction (~) — store it in an object, plot\_2. Visually compare the two, but for a more formal test, use identical(plot\_1, plot\_2) on the two plot objects to prove they are the same.

## Plots using ggplot2

ggplot2 is my — and many R users' — primary system for making plots. It is based on the idea of a grammar of graphics. Just as we can use finite rules of a language grammar to construct an endless number of unique sentences, so too can we use a few graphical grammatical rules to make an endless number of unique figures.

The ggplot2 system is too involved to cover in all of its details, but that's kind of the point of the grammar of graphics: once you see how it's put together, you can anticipate the commands you need to build your plot.

We'll start by covering the same plots as above.

#### Histogram

As the main help site says, all ggplot2 plots need three things:

- [data]: The source of the variables you want to plot
- [aesthetics]: How variables in the data map onto the plot (*e.g.*, what's on the x-axis? what's on the y-axis?)

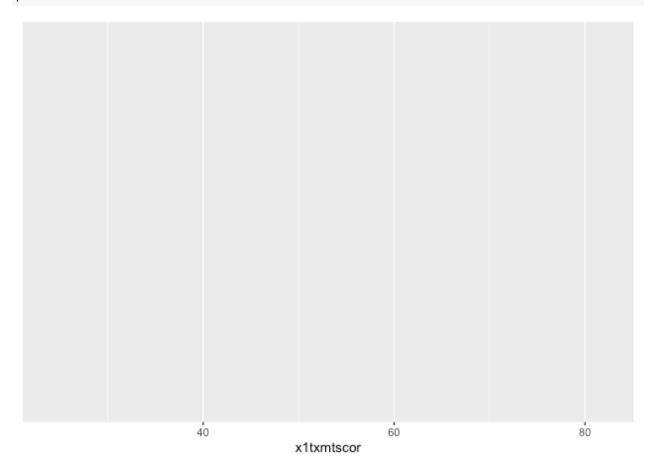
• [geom]: The geometry of the figure or the kind of figure you want to make (*e.g.*, what do you want to do with those data and mappings? A line graph? A box plot?...)

We'll start by making a histogram again. To help make these pieces clearer, I'll use the argument names when possible. The first function, which initializes the plot is ggplot(). Its first argument is the data.

The aesthetic mappings, that is, which variables go where or how they function on the plot, go inside the aes() function. Since we only have one variable, x1txmtscor, it is assigned to x.

If we stop there and print...

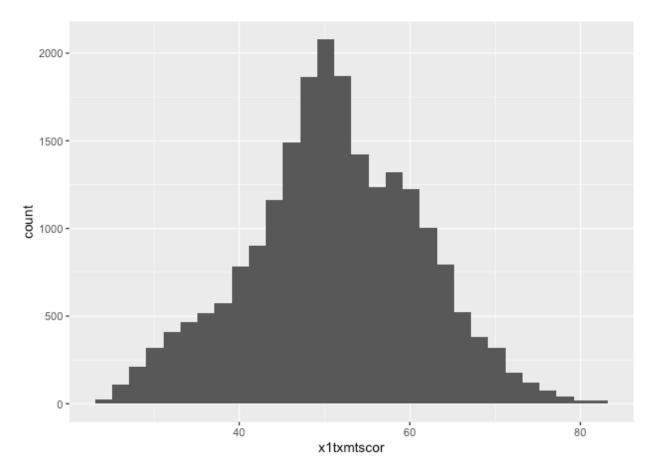
```
## init ggplot
p <- ggplot(data = df_hs, mapping = aes(x = x1txmtscor))
p</pre>
```



...nothing! Well, not nothing, but no histogram. That's because the plot object p knows the data and the key variable mapping but doesn't know what do with them. What do we want?

Since we want a histogram, we add the geom\_histogram() function to the existing plot object. Trying again...

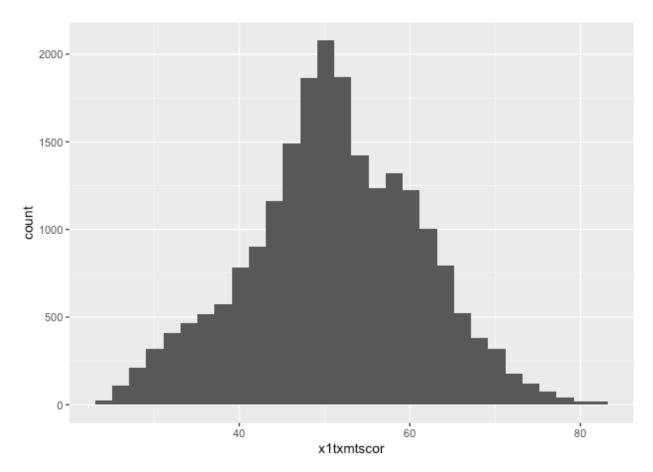
## add histogram instruction
p <- p + geom\_histogram()
p</pre>



Success!

Let's repeat it, but without the middle step:

```
## init ggplot
p <- ggplot(data = df_hs, mapping = aes(x = x1txmtscor)) +
    geom_histogram()
p</pre>
```



As you can see, the code to make a ggplot2 figure looks a lot like what we've seen with other tidyverse libraries, *e.g.* dplyr. The key difference between ggplot2 and dplyr, however, is that while dplyr uses the pipe ( $\gg$ ) to connect different functions, ggplot2 uses a plus sign (+).

It may help you remember the difference:

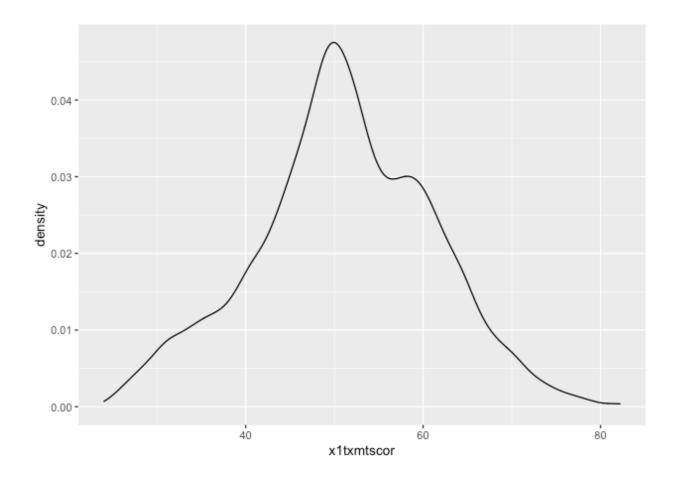
- dplyr moves output from left to the input in the right and so needs a **pipe** (%>%)
- ggplot2 adds layer upon layer to build up the final figure and so needs a plus sign (+)

#### Density

Unlike the base R graphics system, ggplot2 does have a density plotting command, geom\_density(). Instead of building up the figure piecemeal, we'll go ahead and chain the geom to the first command and print.

Notice how the function chain is the mostly the same as above, but (1) written in a single linked chain and (2) using a different geom\_\*() command at the end to indicate that we want something different.

```
## density
p <- ggplot(data = df_hs, mapping = aes(x = x1txmtscor)) +
    geom_density()
p</pre>
```

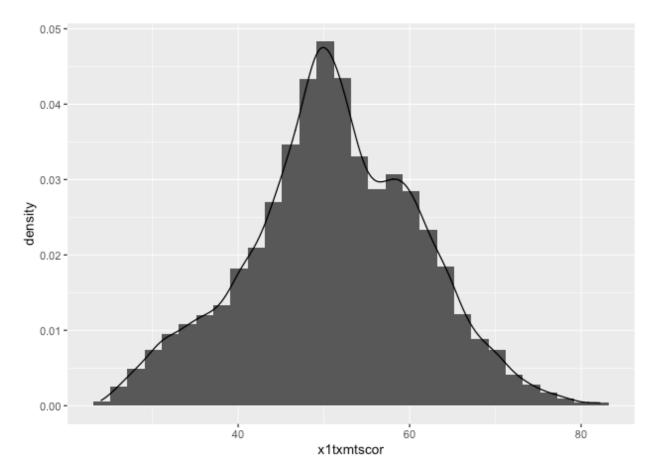


#### Quick exercise Make a density plot of SES.

If we want to superimpose the density plot over the histogram, we only need chain the two commands together with a slight modification in how the histogram is made. This way, the histogram and the density will be on the same scale.

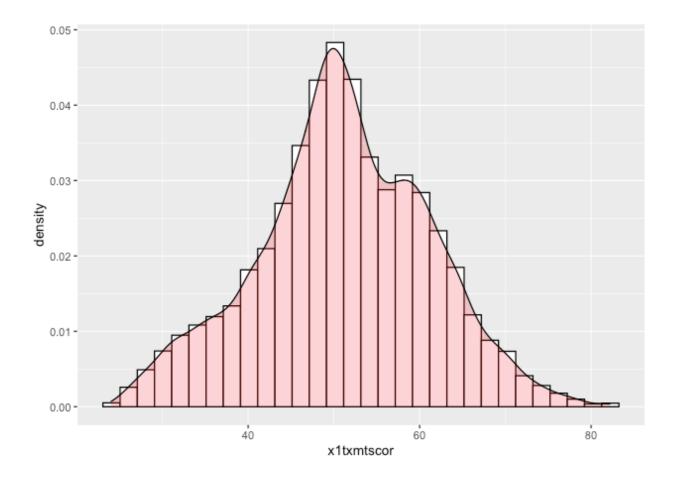
The change happens in the geom\_histogram() function, where we add a new mapping: aes(y = ..density..). (NOTE: this is similar to what we did above in base R to make a histogram on a density scale.)

```
## histogram with density plot overlapping
p <- ggplot(data = df_hs, mapping = aes(x = x1txmtscor)) +
    geom_histogram(mapping = aes(y = ..density..)) +
    geom_density()
p</pre>
```



It worked, but it's not the greatest visual since the colors are the same and the density plot is thin with no fill.

Adding to what came before, the geom\_histogram() and geom\_density() both take on new arguments that change the defaults. Now the resulting plot should look nicer and be easier to read.



**Quick exercise** Try changing some of the arguments in the last plot. What happens when you change alpha (keep the value between 0 and 1)? What does the color argument change? And fill? What happens if you switch the geom\_\*() functions, call geom\_histogram() after you call geom\_density()?

A key thing to note about arguments is that when the are outside of the aes(), they apply uniformly to the whole geom (*e.g.* all the histogram bars are white with a black outline, the density is light red). When you want some aesthetic of the figure to change as a function of the data, you need to put it inside aes(). We'll see this in the next plot.

#### Two-way

Plotting the difference in a continuous distribution across groups is a common task. Let's see the difference between student math scores between students with parents who have any postsecondary degree and those without.

Since we're using data that was labelled in Stata, we'll see the labels when we use count()

```
## see the counts for each group
df_hs %>% count(x1paredu)
# A tibble: 7 x 2
```

						x1paredu	n
						<dbl+lbl></dbl+lbl>	<int></int>
1	1	[Less	than	high	school]		1010

2	2	[High school diploma or GED]	5909		
3	3	[Associate's degree]	2549		
4	4	[Bachelor's degree]	4102		
5	5	[Master's degree]	2116		
6	7	<pre>[Ph.D/M.D/Law/other high lvl prof degree]</pre>	1096		
7 NA					

We can see that all values of x1paredu greater than 2 represent parents with some college credential. Since we want only two distinct groups, we can use the operator >= to make a new 0/1 binary variable. If a value of x1paredu is above 3, then the new indicator pared\_coll will be 1; if not, 0.

**NOTE** that in the Stata version of hsls\_small, all the missing values, which are normally negative numbers, have already been properly converted to NA values. That's why we see a count column for NA and not labels for missingness that we might have expected based on prior lessons.

The ggplot() function doesn't need to use our full data. In fact, our data needs to be set up a bit differently to make this plot. We'll make a new temporary data object that only has the data we need.

```
## need to set up data
plot_df <- df_hs %>%
    select(x1paredu, x1txmtscor) %>%
   drop_na() %>%
                                         # can't plot NA so will drop
    mutate(pared_coll = ifelse(x1paredu >= 3, 1, 0)) %>%
    select(-x1paredu)
## show
head(plot_df)
# A tibble: 6 x 2
 x1txmtscor pared coll
   <dbl+lbl>
                  <dbl>
1
        59.4
                      1
2
        47.7
                      1
3
        64.2
                      1
4
        49.3
                      1
```

5

6

62.6

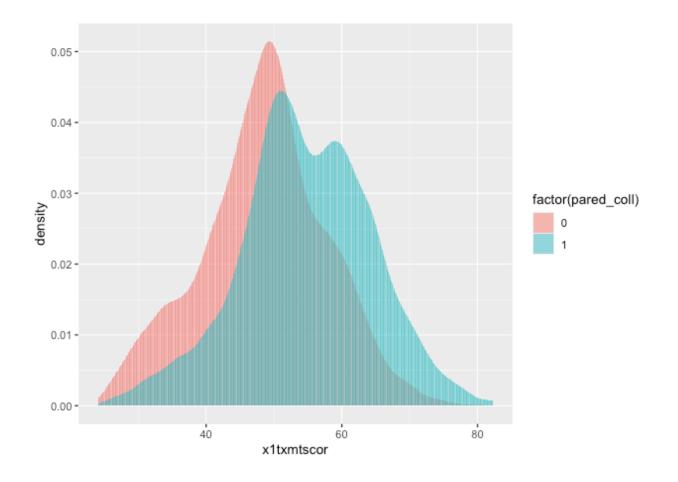
58.1

1

1

To plot against the two groups we've made, we need to add it to the aesthetic feature, aes(). The math score, x1txmtscor, is still mapped to x, but since we want two side-by-side histograms, we set the fill aesthetic to our new indicator variable. So the function knows that it's a group (and not just a continuous number with only two values), we wrap it in the factor() function.

Finally, we add some changes to the geom\_histogram() function so that each group is on the same scale.

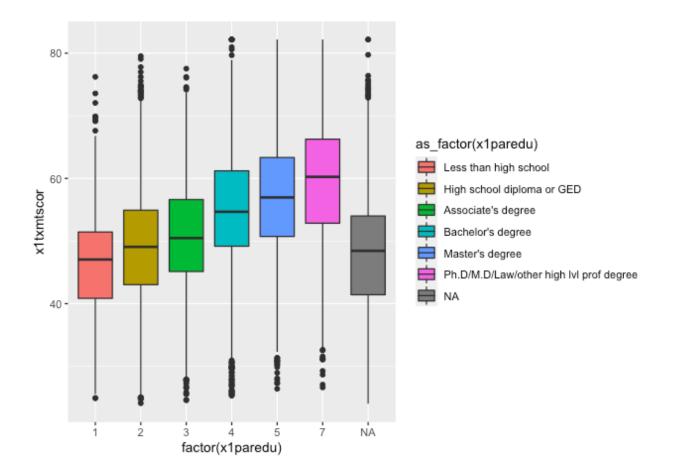


**Quick exercise** Remove some of the new arguments in geom\_histogram(). How does the resulting plot change? Remove the factor() function from around pared\_coll: what happens?

### Box plot

By this point, you're hopefully seeing the pattern in how ggplot2 figures are put together. To make a box plot, we need to add a y mapping to the aes() in addition to the x mapping. We've also added the same variable to fill as we did to x. We do this so that in addition to having different box and whisker plots along the x-axis, each plot is given its own color.

15

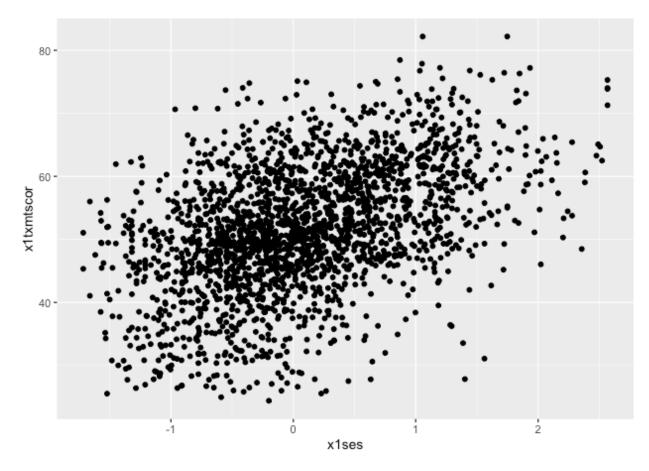


Quick exercise Change the as\_factor() and factor() functions above. How does the plot change?

## Scatter

To make a scatter plot, make sure that the <code>aes()</code> has mappings for the <code>x</code> axis and <code>y</code> axis and then use <code>geom\_point()</code> to plot. To make things easier to see, we'll first reduce the data to 10% of the full sample using <code>sample\_frac()</code> from dplyr.

```
## sample 10% to make figure clearer
df_hs_10 <- df_hs %>% sample_frac(0.1)
## scatter
p <- ggplot(data = df_hs_10, mapping = aes(x = x1ses, y = x1txmtscor)) +
    geom_point()
p
```



Now that we have our scatter plot, let's say that we want to add a third dimension. Specifically, we want to change the color of each point based on whether a student plans to earn a Bachelor's degree or higher. That means we need a new dummy variable that is 1 for those with BA/BS plans and 0 for others.

We can look at the student base year expectations with count():

## see student base year plans
df\_hs %>%

count(x1stuedexpct)

#### # A tibble: 12 x 2

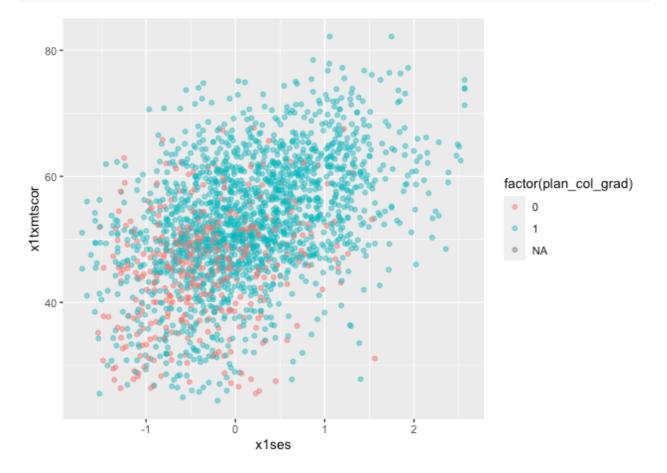
	x1stuedexpct	n
	<dbl+lbl></dbl+lbl>	<int></int>
1	[Less than high school]	93
2	[High school diploma or GED]	2619
3	[Start an Associate's degree]	140
4	[Complete an Associate's degree]	1195
5	[Start a Bachelor's degree]	115
6	[Complete a Bachelor's degree]	3505
7	[Start a Master's degree]	231
8	[Complete a Master's degree]	4278
9	[Start Ph.D/M.D/Law/other prof degree]	176
10	[Complete Ph.D/M.D/Law/other prof degree]	4461
11	[Don't know]	4631
NA		2059
	2 3 4 5 6 7 8 9 10	<pre> </pre>

We see that x1stuedexpct >= 6 means a student plans to earn a Bachelor's degree or higher. Let's create

that.

```
## create variable for students who plan to graduate from college
df_hs_10 <- df_hs_10 %>%
    mutate(plan_col_grad = ifelse(x1stuedexpct >= 6, 1, 0))
```

Now that we have our new variable plan\_col\_grad, we can add it the color aesthetic, aes() in geom\_point(). Don't forget to use factor() so that ggplot knows to treat it like a group!



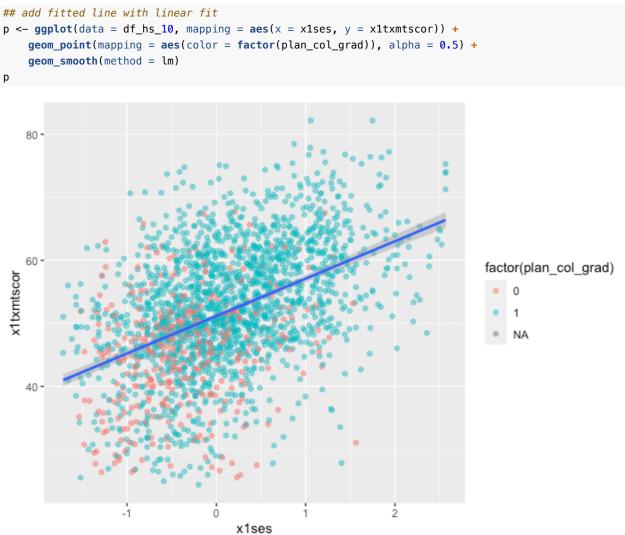
**Quick exercise** Change how you make plan\_col\_grad so that instead of 1 and 0, you use 'yes' and 'no'. Make your figure again. What changes?

### Fitted lines

It's often helpful to plot fitted lines against a scatter plot to help see the underlying trend. There are a number of ways to do this with the geom\_smooth() function.

#### Linear fit

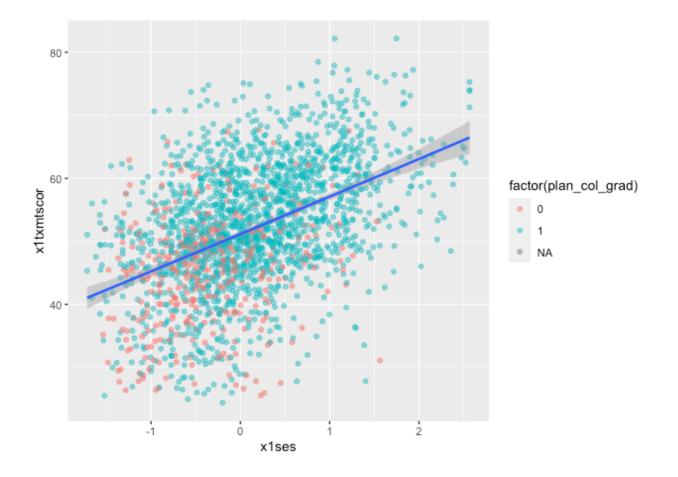
Setting method = lm in geom\_smooth() will fit a simple straight line of best fit with 95% confidence interval shaded around it.



#### Linear fit with polynomials

In addition to the method, we can add a formula to allow the fitted line to take a non-linear shape. Using the aes() values of x and y, the argument below uses an R formula,  $y \sim x$ , but with the addition of the poly() function. Setting the second argument in poly() to 2 gives the line an extra quadratic term, which allows it to take a more curved shape.

```
## add fitted line with polynomial linear fit
p <- ggplot(data = df_hs_10, mapping = aes(x = x1ses, y = x1txmtscor)) +
    geom_point(mapping = aes(color = factor(plan_col_grad)), alpha = 0.5) +
    geom_smooth(method = lm, formula = y ~ poly(x,2))
p</pre>
```

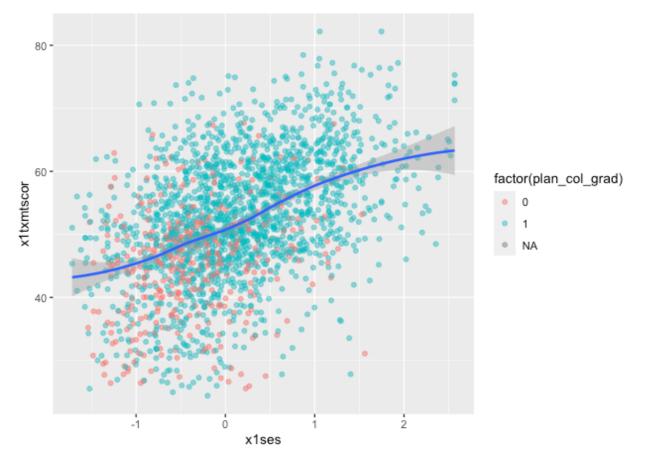


Quick exercise Change the value in poly() to higher numbers. How does the line change?

#### Loess

Finally, we can skip trying to adjust a linear line and just fit a LOESS curve, which is a smooth line produced by fitting a large number of local polynomial regressions on subsets of the data.

```
## add fitted line with loess
p <- ggplot(data = df_hs_10, mapping = aes(x = x1ses, y = x1txmtscor)) +
    geom_point(mapping = aes(color = factor(plan_col_grad)), alpha = 0.5) +
    geom_smooth(method = loess)
p</pre>
```



To be clear, these semi-automated lines of best fit should not be used to draw final conclusions about the relationships in your data. You will want to do **much more** analytic work to make sure any correlations you observe aren't simply spurious and that fitted lines are telling you something useful. That said, fitted lines via ggplot2 can be useful when first trying to understand your data or to more clearly show observed trends.

#### Line graph

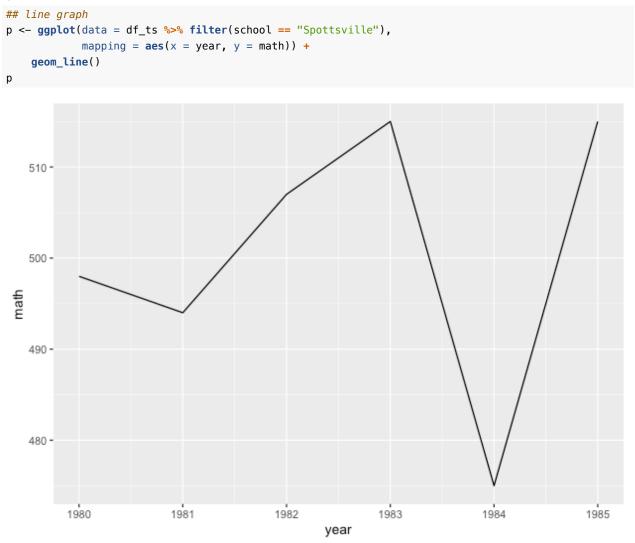
When you want to show changes in one variable as a function of another variable, *e.g.*, changes in test scores over time, then a line graph is typically your best choice. Since our hsls\_small data is cross-sectional, we'll shift to using our school test score data. Remember that the test score data show three sets of test scores (math, science, and reading) for four schools over a period of six years. This data frame is long in year, but wide in test type. It looks like this:

```
## show test score data
df_ts
```

# /	A tibk	ole: 24	x 5			
	schoo	ol	year	math	read	science
	<chr></chr>	>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>	<dbl></dbl>
1	Bend	Gate	1980	515	281	808
2	Bend	Gate	1981	503	312	814
3	Bend	Gate	1982	514	316	816
4	Bend	Gate	1983	491	276	793
5	Bend	Gate	1984	502	310	788
6	Bend	Gate	1985	488	280	789

```
7 East Heights 1980
                         501
                               318
                                        782
8 East Heights
                         487
                1981
                               323
                                        813
9 East Heights
                 1982
                         496
                               294
                                        818
                                        795
10 East Heights 1983
                         497
                               306
# ... with 14 more rows
```

To keep it simple for our first line plot, we'll filter our plot data to keep only scores for one school. Notice how we can do that directly with pipes inside the ggplot() function. We want to see changes in test scores over time, so we'll map year to the x axis and, for now, math to the y axis. To see a line graph, we add geom\_line().

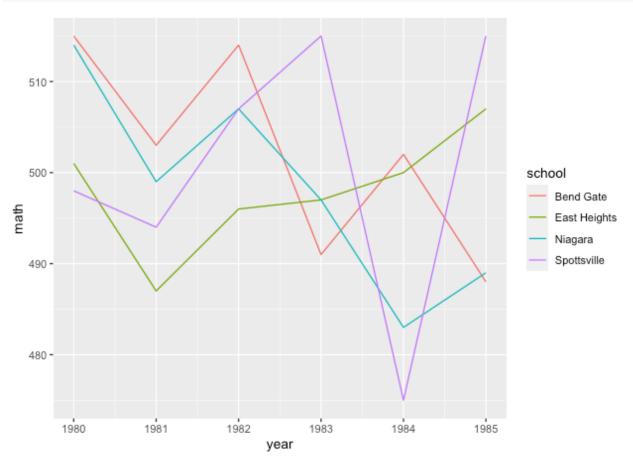


QUICK EXERCISE Change the school in filter() to "East Heights" and then "Bend Gate".

Easy enough, but let's say that we want to add a third dimension — to show math scores for each school in the same plot area. To do this, we can map a third aesthetic to school. Looking at the help file for geom\_line(), we see that lines (a version of a path) can take colour, which means we can change line color based on a variable.

The code below is almost exactly the same as before less two things:

- 1. We don't filter df\_ts this time, because we want all schools
- 2. We add colour = school inside aes()



This is nice (though maybe a little messy at the moment) because it allows us to compare math scores across time across schools. But we have two more test types — reading and science — that we would like to include as well. One approach that will let us add yet another dimension is to use facets.

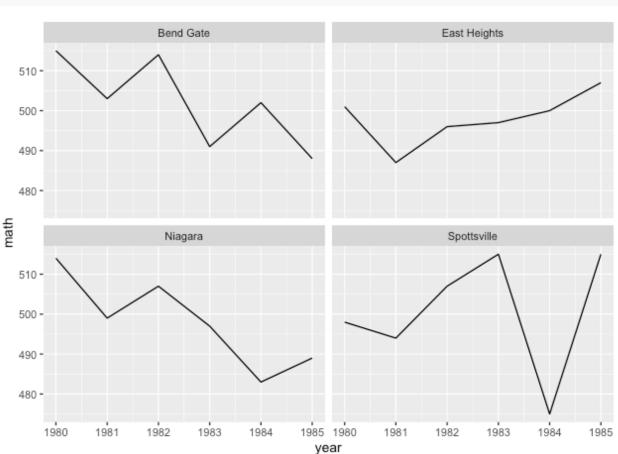
#### Facets

With facets, we can put multiple plots together, each showing some subset of the data. For example, instead of plotting changes in math scores across schools over time on the same plot area (only changing the color), we can use facet\_wrap() to give each school its own little plot. You might hear me or other refer to plots like this a showing *small multiples* or as *small multiples* figures.

Compared to the code just above, notice how we've removed colour = school from aes() and included facet\_wrap(~ school). The tilde (~) works like the tilde in plot(y ~ x) above: it means "plot against or by X". In this case, we are plotting math test scores over time by each school.

```
facet_wrap(~ school) +
geom_line()
```

#### р



Is this faceted plot better than the color line plot before it? To my eyes, it's a little clearer, but not so much so that I couldn't be convinced to use the first one. Whether you use the first or the second would largely depend on your specific data and presentation needs.

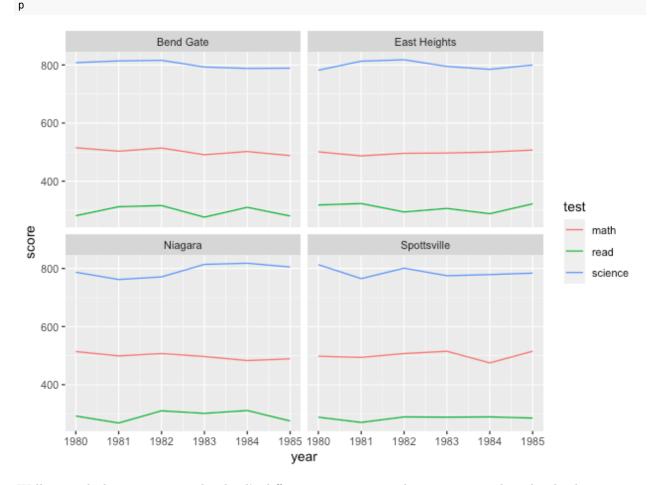
Faceting has a clearer advantage, however, when you want to include the fourth level of comparison: (1) scores across (2) time across (3) schools from (4) different tests. To make this comparison, we first need to reshape our data, which is only long in year, to be long in test, too. As we've already seen in a past lesson, we'll use pivot\_longer() to place each test type in its own column (test) with the score next to it.

```
## reshape data long
df_ts_long <- df_ts %>%
    pivot_longer(cols = c("math","read","science"), # cols to pivot long
                 names_to = "test",
                                                    # where col names go
                 values_to = "score")
                                                    # where col values go
## show
df_ts_long
# A tibble: 72 x 4
   school
              year test
                           score
   <chr>
             <dbl> <chr>
                           <dbl>
1 Bend Gate 1980 math
                             515
2 Bend Gate 1980 read
                             281
```

```
3 Bend Gate 1980 science
                             808
4 Bend Gate 1981 math
                             503
5 Bend Gate
             1981 read
                             312
6 Bend Gate
             1981 science
                             814
7 Bend Gate
             1982 math
                             514
8 Bend Gate 1982 read
                             316
9 Bend Gate 1982 science
                             816
10 Bend Gate 1983 math
                             491
# ... with 62 more rows
```

**QUICK EXERCISE** If we have 4 schools, 6 years, and 3 tests, how many observations should df\_ts\_long have in total? Does it?

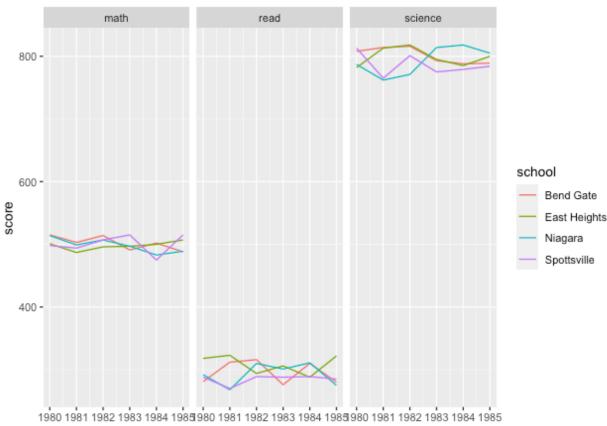
With our reshaped data frame, we now reintroduce colour into the aes(), this time set to test. We make one other change: y = score now, since that's the column for test scores in our reshaped data. All else is the same.



Well, it worked...we can see each school's different test score trends over time, with each school in its own

facet and test scores set to a different color. But the result is a bit underwhelming. Because the different test types are such different scales (even though they are normed within themselves), within-test changes seem rather flat over time.

Let's try something different: in the next figure, we'll swap the variables we give to **colour** and within **facet\_wrap()**. This means that each test should have its own facet and each line will represent a different school.



year

Okay. New problem. While it's maybe a *little* easier to see same-test differences across schools over time, the different scales of the tests still make the figure less useful than we might hope. It's not that the students are *way* better at science than reading; it's just that the tests are scaled differently. Someone quickly reading this figure, however, might make that incorrect interpretation.

One thing we can do is change the y-axis for each facet. The default is to keep the y-axis scale the same. By adding scales = "free\_y" to facet\_wrap(), we'll let each test have its own y-axis scale.

Having different axis scales side-by-side can be confusing, however (this is why the default is to keep them the same). To mitigate that confusion, we'll also rearrange the facets so they stack rather than sit side by side. To do this, we'll add ncol = 1 to  $facet_wrap()$ . This says our facets have to stick to one column, effectively meaning they will stack vertically.

```
## facet line graph, with one column so they stack
p <- ggplot(data = df_ts_long,</pre>
             mapping = aes(x = year, y = score, colour = school)) +
    facet_wrap(~ test, ncol = 1, scales = "free_y") +
    geom_line()
р
                                               math
   510
   500
    490 ·
    480 ·
                                               read
                                                                                             school
   320
                                                                                                  Bend Gate
 score
   300
                                                                                                  East Heights
                                                                                                  Niagara
   280
                                                                                                  Spottsville
                                             science
   820
   800
    780 ·
    760
                                                      1983
          1980
                        1981
                                       1982
                                                                     1984
                                                                                    1985
                                              year
```

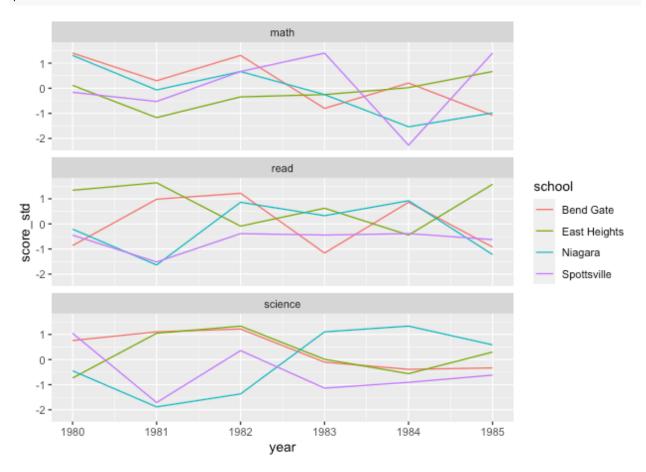
That looks better! But we can do even better than that...

Currently, each test score is on its own normed scale. While our new figure allows us to make comparisons across schools over time *within* test, it's more difficult to make a good comparison *between* tests. For example, East Heights has a little over 20 point drop in reading scores from 1981 to 1982 and about the same drop in science scores from 1982 to 1983. How should we think about these drops? Are they about the same or does one drop mean more than another?

To better answer this question, we could re-standardize each test score so that it is centered at 0 and a one unit change is equal to 1 standard deviation difference in score. We'll use mutate() to create a new variable score\_std. Because we group\_by() test, score\_std will be standardized within test.

```
## rescale test scores
df_ts_long <- df_ts_long %>%
    group_by(test) %>%
    mutate(score_std = (score - mean(score)) / sd(score)) %>%
    ungroup
```

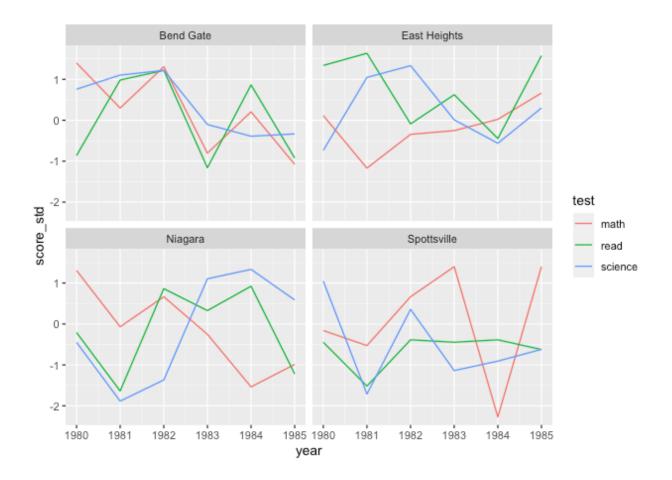
We'll repeat the same code as before, but this time substitute  $y = score_std$ . Because all tests are on the same standardized scale, we can also drop scales = "free\_y".



Notice the lines look the same relative to one another, but now we have a consistent scale to help judge changes. To answer our question from before, it seems that the drop in reading scores (1981 to 1982) and science scores (1982 to 1983) were each about 1.5 standard deviations. We could test more formally, but we have a clearer idea now that all tests are on the same scale.

**QUICK EXERCISE** What happens if you use the argument scales = "free\_y" in the last bit of code? Why might you not use that once we've scaled the test scores?

As a quick change, we can go back to having each school in its own facet and test scores within.

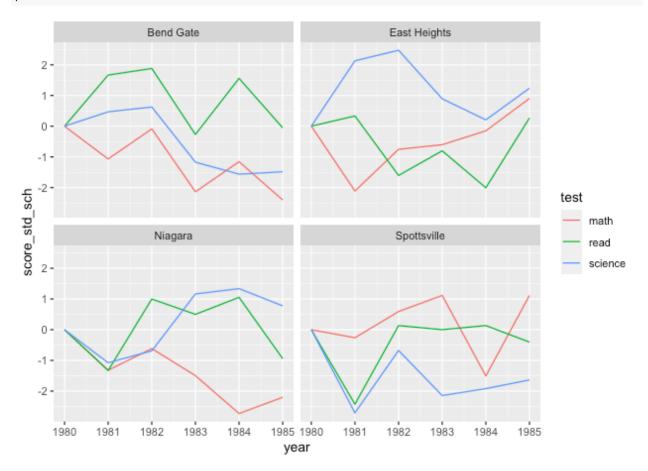


**QUICK EXERCISE** Why did we drop ncol = 1 from facet\_wrap()? What happens if you keep it?

Our plot is looking better, but it still may not contain the information we want. We've standardized the test scores over this time window, but maybe what we really want to know is how they've *changed relative* to the beginning of the sample period. You can imagine a superintendent who took over in 1981 would be keen to know how scores have changed during their tenure.

This means that while we still want to standardize the scores, we should zero them not at the overall mean, but at the value in the first year. We can do that by grouping by school and test, arranging in year order, making a new variable that is the first() score (within test, within school) and using that rather than the mean test score to make our new variable, score\_std\_sch.

Now we'll plot using our new variable score\_std\_sch.



With this final graph, we can see relative changes across schools, across times, across tests. Notice that line shapes within each facet are the same as before, just shifted up or down so that the first value for each test in 1981 is 0.

Is this the best version of this figure (minus making the axis and legend labels look nicer)? Again, it depends on what you want to show. Remember that figures don't speak for themselves: it's up to you to explain to your reader (include your future self) what they mean. That said, a well crafted figure will make that job much easier.